

# MoDEMS: Optimizing Edge Computing Migrations for User Mobility

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**Abstract**—Edge computing capabilities in 5G wireless networks promise to benefit mobile users: computing tasks can be offloaded from user devices to nearby edge servers, reducing users’ experienced latencies. Few works have addressed how this offloading should handle long-term user mobility: as devices move, they will need to offload to different edge servers, which may require migrating data or state information from one edge server to another. In this paper, we introduce MoDEMS, a system model and architecture that provides a rigorous theoretical framework and studies the challenges of such migrations to minimize the service provider cost and user latency. We show that this cost minimization problem can be expressed as an integer linear programming problem, which is hard to solve due to resource constraints at the servers and unknown user mobility patterns. We show that finding the optimal migration plan is in general NP-hard, and we propose alternative heuristic solution algorithms that perform well in both theory and practice. We finally validate our results with real user mobility traces, ns-3 simulations, and an LTE testbed experiment. Migrations reduce the latency experienced by users of edge applications by 33% compared to previously proposed migration approaches.

**Index Terms**—Mobility, edge computing, cloud computing, migrations.

## I. INTRODUCTION

Cloud computing is a popular way to access computing resources and generated 20.6 Zettabytes of traffic in 2021, compared to 6.8 Zettabytes in 2016 [1]. While it offers flexible and scalable access to plentiful resources, sending data to and from remote cloud servers may incur unacceptably high latencies. For example, augmented reality (AR) on mobile devices requires remote computing for compute-intensive tasks [2] that must be completed quickly.

The ongoing deployment of 5G technologies will soon allow cellular service providers to offer low-latency edge computing services that can supplement cloud computing. By separating the user plane from the control plane function, a 5G network now explicitly supports edge services by using a unified gateway called UPF (User Plane Function) [3] that can be integrated with MEC (Multi-access Edge Computing) [4] near or co-located with a 5G base station distributedly [5], [6]. Such systems have been proposed to reduce latency and bandwidth consumption in offloading computations from mobile devices to nearby servers [7]–[9] and reducing mobile device battery consumption [10], leading to a multi-tier computing system with both edge and cloud servers. A simple diagram of such

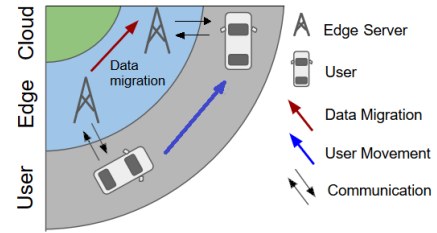


Fig. 1: A multi-tier system with cloud, edge, and user compute resources. A mobile user’s task is migrated between edge servers as it moves along a road.

a system is shown in Figure 1. The mobile user in the vehicle offloads computations to the nearest edge server, which is geographically closer than the cloud server. However, to maintain their geographical advantage over cloud servers, multiple edge servers should be deployed across the service region, like the servers in Figure 1. Applications such as augmented and virtual reality (AR, VR) [2], as well as streaming-based cloud gaming services [11] greatly benefit from reduced battery consumption and the low latencies provided by edge computing. Furthermore, autonomous vehicles greatly benefit from edge computing to process the plethora of data collected during driving, as well as make quick-response decisions including obstacle avoidance and breaking [12]. The aforementioned use cases often pertain to highly mobile users in vehicles or in public transportation, requiring multiple edge servers to service from a close distance a single user.

### A. Challenges: Edge Computing and Migrations

Despite latency benefits, multi-tier computing systems raise research challenges. Figure 2 depicts various research challenges listed below. Edge servers generally have fewer available resources and higher operating costs than cloud servers [7]; for example, in the figure, a migration of user 1’s application from server A to server B is impossible as another user has already occupied the latter server’s resources. Edge computing solutions must also handle user mobility [13]–[15]: as users move, their applications should be serviced at a different and closer edge server to minimize latency. However, migrating an application’s virtual machine (VM) or container from one edge server to another utilizes potentially limited bandwidth on links between the edge servers, and

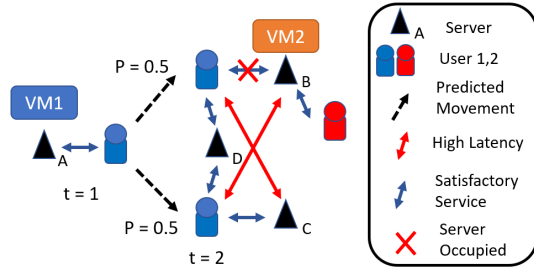


Fig. 2: Challenges of migrations include misplaced migrations due to uncertain mobility, and resource coordination with other users. For example, user 1 may have equal probability of moving close to either servers B or C, while user 2 has occupied resources at server B. Thus, it is optimal to migrate user 1’s VM to server D, to avoid resource conflicts with user 2 and high latencies if the user moves to server B but its VM is migrated to server C.

occupies resources on *both* the source and destination servers since applications need to maintain an active edge server connection during migration. Finding the optimal placement of applications on edge and cloud servers that balances these constraints with user needs is then difficult: user applications should coordinate to avoid overwhelming edge server and link capacities.

Placing applications on edge servers becomes even more difficult when user mobility is not fully known: application migration takes time, making reactive solutions that migrate only after a user has moved ineffective [13]–[15], and a misplaced migration may incur a higher cost than no migration at all. In Figure 2, given that a user can move to one of two locations with equal probability from time  $t = 1$  to  $t = 2$ , migrating a VM from server A to C only provides satisfactory performance for one of the two locations a user can be in the future time  $t = 2$ . Users with different mobility patterns, e.g., car drivers versus pedestrians, may then need different migration plans, greatly enlarging our plan search space since users should also coordinate to respect capacity constraints. Machine learning algorithms embedded in 5G networks may predict short-term user movement [16], [17], but long-term patterns may not be known in advance. Simple solutions to alleviate uncertain mobility predictions, such as continuously replicating applications across multiple servers, require prohibitive amounts of edge resources. We address these challenges.

### B. MoDEMS: Mobility Dependent Edge Migration System

In this paper, we propose MoDEMS (Mobility Dependent Edge Migration System) for generating migration plans. In more detail, our *technical contributions* are as follows:

- We design the first system that optimizes edge computing deployments using a *rigorous theoretical framework* to jointly address practical deployment challenges of resource constraints, mobility uncertainty, concurrent migrations for multiple users, and implementation overhead.
- We formulate a *linear integer optimization problem* to optimize latency and resource costs given diverse user-

specific mobility models. We show the problem is NP-hard due to the concurrent service of users despite resource constraints. We propose a distributed heuristic that optimizes over user-specific mobility and intelligently minimizes users’ coordination across different resources, showing analytically that it performs and scales well.

- We perform *extensive experiments* to evaluate the linear integer optimization solution and variations of our proposed heuristic on real user mobility traces [18], ns-3 simulations, and an LTE testbed. The heuristic outperforms previous methods that do not consider mobility prediction or resource constraints by 18 to 33% .
- We build upon the previous versions of this work [19], [20] with an updated system architecture and model, extended proofs and extended formulation of the truncation method presented. Further experiments have been performed regarding migration policies given emphasis on specific sub-costs, and different system settings including an increased number of users relative to servers, performance in different density of servers in physical space, and deployment overhead in a realistic test bed.

The remainder of this paper is organized as follows. Section II contrasts MoDEMS with related works. Section III presents the system model and MoDEMS architecture. We then show in Section IV that the MoDEMS model allows us to formulate a linear integer optimization problem for edge migrations. Section V analyzes the complexity of this problem and theoretically examines our proposed scalable heuristic solution. Finally, we *experimentally validate our work* compared to prior approaches in Section VI. We conclude in Section VII.

## II. RELATED WORK

Virtual machine (VM) migration is a major research challenge in edge computing [15], [21], [22]. Prior works of [23] and [24] develop integer programming problems similar to ours. However, these works propose reactionary migration policies that do not utilize user mobility predictions [23]–[27]. Other works have proposed dynamic policies given unknown costs of migration that follow Markovian user mobility patterns [28] or use Markov decision processes [27], [29]. However, such works generally do not consider resource capacity constraints at edge servers, which may force applications onto the cloud if resources run out. They also do not predict individual user movement, imposing the same migration policy on all users at the same location. Our evaluation shows that MoDEMS significantly (by  $> 20\%$ ) lowers costs by considering both these factors. Lyapunov optimization frameworks are used as well [30], [31], while [32] simultaneously allocates bandwidth and compute resources to different users.

As we show in Section V, resource constraints make the optimal migration problem considerably more difficult. Works accounting for resource constraints that allow VMs to concurrently run on multiple edge servers simplify the optimal migration problem and may not be practical [33], [34]. Other works analyze the allocation of computation and bandwidth at an operating system level, dividing tasks between local devices and edge servers [26], [35]. In comparison, we present

|                              |  |                |  |
|------------------------------|--|----------------|--|
| $R_s$                        | $n \times 1$ vector for capacities of $n$ resource types at server $s$   | $\vec{c}_s$    | $n \times 1$ vector of each unit resource cost at server $s$   |
| $h_{s_1, s_2}^{u, t_1, t_2}$ | Decision variable returning 1 for migration for user $u$ between time steps $t_1$ and $t_2$ from server $s_1$ to $s_2$ and 0 o.w     | $\vec{w}_u$    | $n \times 1$ vector representing the amount of resources required of each type for user $u$ 's process |
| $q_{u, s}^t$                 | Binary indicator variable that returns 1 if the process for user $u$ is at server $s$ at time $t$ and 0 otherwise                    | $\epsilon_u$   | Migration amount for the VM of user $u$ in terms of total bandwidth consumption                        |
| $j_{s_1, s_2}^{u, t}$        | Migration rate fraction ( $[0, 1]$ ) that returns the portion of the VM migrated for user $u$ at time $t$ from server $s_1$ to $s_2$ | $W_u$          | Consumption of service bandwidth per unit time step between user and process VM for user $u$           |
| $g_{u, s}^t$                 | Variable that returns 1 if a VM migration is taking place to server $s$ at time $t$ for user $u$ and 0 otherwise                     | $Z_{s_1, s_2}$ | Cost of using unit amount of bandwidth for single time step between servers $s_1$ and $s_2$            |
| $B$                          | $S \times S$ vector of bandwidth capacity between servers  | $Y_r^{u, t}$   | Actual latency experienced by user $u$ at time $t$   |
| $i_{u, s}^t$                 | Binary indicator of 1 if user $u$ at server $s$ at time $t$ and 0 o.w.   | $Y_x^u$        | Maximum latency limit for user $u$   |
| $P[i_{u, s}^t]$              | Probability ( $[0, 1]$ ) of user $u$ being at server $s$ at time $t$   | $D_Y^u$        | Monetary value of latency violation per unit for user $u$  |

TABLE I: Physical system variables (left), cost and migration graph variables (right).

the first theoretical framework and algorithms that (i) consider resource constraints, long term migrations, and variation between individual users, (ii) validate its effectiveness with realistic network experiments and (iii) design a distributed method to navigate the larger search space that results from individualized mobility predictions instead of uniform ones.

Migration in edge computing has also been studied in the context of complex event processing (CEP) applications [36], [37], in which streams of information from multiple mobile sources must be jointly analyzed at an edge server. However, that work does not use formal mobility models or optimization. Network function virtualization (NFV) and software-defined networks (SDN) similarly aim to deploy service chains inside VMs hosted on geographically advantageous edge nodes to decrease bandwidth usage and latency [38], [39]. However, the middleboxes do not migrate according to user mobility.

This work has previously been presented as a poster paper at IEEE/ACM IWQoS 2021 [19], where the migration graph framework is introduced alongside a brief complexity analysis and performance analysis of different heuristic algorithms. This work has also been presented at IEEE INFOCOM 2022 [20], with an in-depth system architecture, formulation, complexity analysis and experimental evaluation.

### III. MODEMS SYSTEM MODEL AND ARCHITECTURE

This section builds a system model that depicts the physical system of edge nodes and users (Section III-A). We formalize data migrations within this model in Section III-B.

#### A. Physical Model

We consider an edge computing service provider with multiple edge servers, e.g., located at mobile base stations, as well as a cloud server. The provider has  $S$  servers to service  $U$  users, each with one process request, who can offload computation tasks to any of the edge or cloud servers by opening a personal VM or container on that server (our framework can model either), each of which serves one process at a time. Although we associate each user with a single process (e.g., one mobile application), our model can be easily extended to multiple processes per user.

We let  $[X]$  represent the set  $\{1, 2, \dots, X\}$ . We consider discrete time steps  $t \in [T]$ . While our model is agnostic to the exact time step length, in practice, the time steps would likely last a few minutes. At this granularity, we can meaningfully

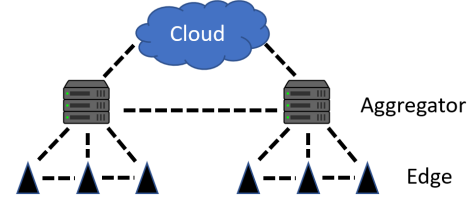


Fig. 3: Links between servers deployed at different levels of an edge computing system with hierarchical topology.

represent user movement around a city via their locations at different times, while ensuring that migrations complete within a single time step. For simplicity and following prior work [40], all users enter the system at time  $t = 1$  and exit at  $t = T$ , though their requests may start after  $t = 1$  and end before  $t = T$ . Table I summarizes our notation.

**Servers and links.** We suppose that the edge servers are dispersed across a given geographical region. Each server  $s$  has its resource capacity defined by the vector  $R_s$ , which may include CPU, RAM, and storage provided to process VMs.

We assume that servers will have wired connections with one another following a given network topology. For example, edge servers may be connected to regional controllers in a hierarchical topology or with direct-wired links to each other [36]. For simplicity in presentation and analysis of the system model algorithms, we assume that all servers are connected directly with one another. All communication between any two servers (migrations and service) occurs only through the link directly connecting the two servers. Our system set up and analysis can easily extend further to scenarios with more realistic topologies as well. During evaluation in Section VI, a more realistic topology is used, as depicted by Figure 3. Here, each server is part of a hierarchy as either a cloud, aggregator, or edge server. Aggregator servers have more available resources than edge servers and have links to one another and the cloud. Edge servers connect to the closest aggregator, as well as nearby edge servers. We model the cloud server as an “edge” server with infinite resources but higher user latency (described in Section IV).

**User mobility.** If we know how users will move over time, or if we are only concerned with past locations, we use the variable  $\{i_{u, s}^t; t = 1, 2, \dots, T\}$ , a binary indicator of whether user  $u$  is closest to server  $s$  at time  $t$ . If user mobility is being predicted for future time steps and not known with full

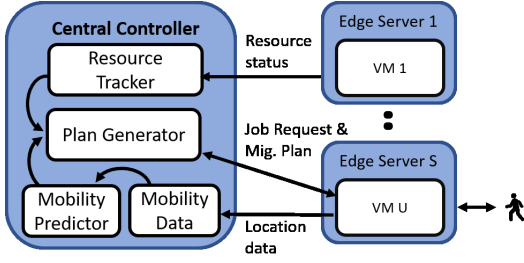


Fig. 4: Flowchart of the centralized approach on solving the edge computing migration problem via MoDEMS.

confidence, we set the variable  $i_{u,s}^t = P[i_{u,s}^t]$  to indicate the probability that user  $u$  is at server  $s$  at time  $t$ ; thus  $P[i_{u,s}^t]$  is a continuous variable in  $[0, 1]$ . This model is quite general and can represent individual user movement that follows a range of typical mobility models, e.g., Markovian mobility as in [40].

**User service.** We use  $q_{u,s}^t$  to indicate at which server a VM for user  $u$  is located. Note that this is not necessarily the closest server to the user  $u$ 's location. Users at any location in the region will always connect to the geographically closest server, captured by the variable  $i_{u,s}^t$  and predicted by  $P[i_{u,s}^t]$ . From there, the user will pull data as needed from the VM at the server indicated by  $q_{u,s}^t$  over the network backbone.

### B. MoDEMS Architecture

**System Modules.** Figure 4 displays a flow diagram of MoDEMS' system modules, implemented in a centralized manner. The process begins with the user spawning a VM at the closest available edge server. The central controller, e.g., the 5G Radio Intelligent Controller [16], potentially located at a cloud, coordinates access to multiple 5G base stations, each equipped with an edge server. Using the *resource tracker* and *mobility data*, the controller gathers compute and bandwidth resource availability as well as user movement patterns by communicating with the edge servers. The *mobility predictor* uses the stored mobility data to generate probabilistic predictions of future movements for specific users. This information is then sent to a *plan generator*, where it is used to generate migration plans. The potential long communication times between the central controller and the edge servers may influence the age of the information in the resource tracker, causing performance issues due to stale information being inputted to the plan generator. By splitting and moving components of the central controller from the cloud to the VMs of users at the edge, as seen in the distributed implementation of MoDEMS in Figure 5, the issue of long communication times between the edge to the cloud is mitigated. Here, when the resource tracker placed at an edge server queries other nearby edge servers, the communication delay is reduced. Our goal is to develop an effective and efficient plan generator that functions for both the central and distributed implementation of MoDEMS, which can be understood as optimizing over a *migration graph*, as we discuss below and in Section IV

**Migration Plan Generation.** The *migration graph* data structure visualizes a process's migration decisions and associated costs [19], [36]. It has a start and end node before the first

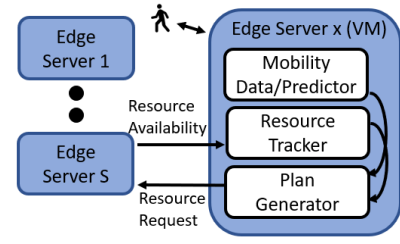


Fig. 5: Flowchart of the distributed approach to solving the edge computing migration problem via MoDEMS.

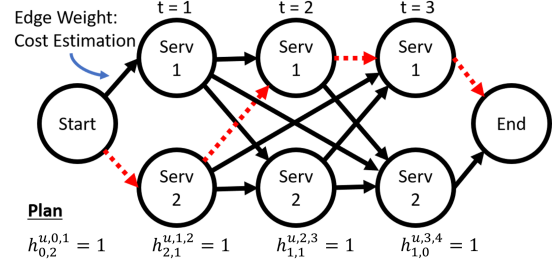


Fig. 6: Simple migration graph used to capture physical model and cost of edge computing system. A migration plan is extracted from the dotted path in red. The migration plan is also described in terms of the optimization variable  $h_{s_1, s_2}^{u, t_1, t_2}$ .

time step and after the last time step respectively. For notation, we set the server index for both the start and end nodes as  $s = 0$ . We define the other nodes in the migration graph as server-time pairs, representing the possible placements of a VM at every time step. An edge between the vertices  $(s_1, t_1)$  and  $(s_2, t_2)$ ,  $s_1 \neq s_2$ , represents a migration from server  $s_1$  to server  $s_2$  that starts at time  $t_1$  and ends at time  $t_2 > t_1$ . During a migration, the process remains at the source server, while a copy VM is built at the destination. Unlike prior work [28], [40], [41], we may have  $t_2 > t_1 + 1$ , i.e., migrations may take place over multiple time steps. This ability may allow more migrations to take place if there is limited bandwidth to migrate. If  $s_1 = s_2$ , the edge represents simply staying at server  $s_1$ . Such edges only last one time step since long-term edges are redundant. We associate each edge with a weight that represents the per-unit costs of taking that path on the migration graph, as defined in Section IV. Figure 6 depicts a migration graph over three time steps in a two-server system.

For each VM of user  $u$ , we define a feasible **migration plan** as any path, or contiguous sequence of edges, from the start node to the end node in the migration graph. Thus, VMs can only migrate to one server at any time. We represent a migration plan for user  $u$ 's VM by defining the indicator  $h_{s_1, s_2}^{u, t_1, t_2}$  as equal to 1 if the path from server  $s_1$  to  $s_2$  and from time  $t_1$  to  $t_2$  is included in the migration plan, e.g., the dashed migration plan in Figure 6, and 0 otherwise.

We ensure the feasibility of the chosen migration plan by constraining  $\{h_{s_1, s_2}^{u, t_1, t_2}\}$  to ensure that (i) every entry to a node on a migration graph must have a departure, and (ii) a migration plan leaves the start node exactly once while arriving at the end node exactly once. In terms of notation,  $x \in ([X] > x_o)$  indicates the set  $\{x_o + 1, x_o + 2, \dots, X\}$ , with



analogous definitions for  $x \in ([X] \leq x_o)$  and  $x \in ([X] \neq x_o)$ . Furthermore,  $s \in \{0, [S]\}$  represents a set  $\{0, 1, \dots, S\}$  to include the server index for the start and end node. Formally:

$$\begin{aligned} \sum_{t_1 \in ([T] < t)} \sum_{s_1 \in (0, [S])} h_{s_1, s}^{u, t_1, t} &= \sum_{t_2 \in ([T+1] > t)} \sum_{s_2 \in (0, [S])} h_{s, s_2}^{u, t, t_2} \\ \sum_{s \in [S]} h_{0, s}^{u, 0, 1} &= \sum_{s \in [S]} h_{s, 0}^{u, T, T+1} = 1. \end{aligned} \quad (1)$$

To ensure that edges that do not exist cannot be taken, we constrain  $h_{s_1, s_2}^{u, t_1, t_2} \leq H_{s_1, s_2}^{u, t_1, t_2}$ .  $H_{s_1, s_2}^{u, t_1, t_2}$  returns 1 if an edge from  $s_1$  to  $s_2$  and from  $t_1$  to  $t_2$  is viable, and 0 otherwise.

We can now define  $q_{u, s}^t$  in terms of the migration plan variables  $h_{s_1, s_2}^{u, t_1, t_2}$ . If a process for user  $u$  is being migrated from  $s_1$  to  $s_2$ , it is serviced by  $s_1$  until the migration finishes.

$$\begin{aligned} q_{u, s}^t &= \sum_{s_1 \in [S]} \sum_{t_1 \in ([T] < t)} \sum_{t_2 \in ([T] \geq t)} h_{s_1, s}^{u, t_1, t_2} \\ &- \sum_{s_2 \in (0, [S])} \sum_{t_3 \in ([T] < t)} \sum_{t_4 \in ([T] \geq t)} h_{s, s_2}^{u, t_3, t_4} \end{aligned} \quad (2)$$

We can then define the variable  $j_{s_1, s_2}^{u, t} \in [0, 1]$  as the rate of transfer at time  $t$  during a migration from  $s_1$  to  $s_2$ . For example, if  $h_{s_1, s_2}^{u, t, t+1} = 1$ , then  $j_{s_1, s_2}^{u, t} = 1$  as the entirety of the process has been migrated between time  $t$  and  $t+1$ .

$$j_{s_1, s_2}^{u, t} = \sum_{t_1 \in ([T] \leq t)} \sum_{t_2 \in ([T] > t)} \frac{h_{s_1, s_2}^{u, t_1, t_2}}{t_2 - t_1} \quad (3)$$

For convenience, we also define  $g_{u, s}^t$  to equal 1 if the process of user  $u$  at time  $t$  is in the midst of a migration to server  $s$ , and 0 otherwise. Thus,  $g_{u, s}^t = 1$  if and only if  $h_{s_1, s}^{u, t_1, t_2} = 1$  for some server  $s_1 \neq s$ , and time  $t_1 \leq t < t_2$ :

$$g_{u, s}^t = \sum_{s_1 \in ([S] \neq s)} \sum_{t_1 \in ([T] \leq t)} \sum_{t_2 \in ([T] > t)} h_{s_1, s}^{u, t_1, t_2} \quad (4)$$

#### IV. OPTIMIZATION PROBLEM FORMULATION

In this section, we show that finding the migration plan in the centralized MoDEMS scenario can be formulated as a linear integer program. We consider two types of costs: the *operational cost*, which is incurred by the service provider of operating the edge servers and links; and the *user dissatisfaction cost*, the compensation required when the service provider cannot meet users' quality-of-service (QoS) requirements, e.g., if it incurs high latencies. This compensation may be enforced via service level agreements between users and the edge provider. In order to formulate the problem, we assume known arrival and departure times of all processes, which we relax in Section V. Table I summarizes our notation.

**Operational Cost.** The operation cost includes both *placement* and *bandwidth* cost. The placement cost incurred for a single user during a single time step is the sum of the costs of using each type of resource at an edge server  $s$ . With  $\vec{c}_s$  and  $\vec{w}_u$  as the cost and demand vectors of each resource at  $s$  for user  $u$  respectively, the placement cost is:

$$C_P = \sum_{t \in [T]} \sum_{u \in [U]} \sum_{s \in [S]} (g_{u, s}^t + q_{u, s}^t) (\vec{w}_u^T \vec{c}_s), \quad (5)$$

since user  $u$  utilizes resources at  $s$  both when it is located at  $s$  ( $q_{u, s}^t = 1$ ) and in the process of migrating to  $s$  ( $g_{u, s}^t = 1$ ).

The *bandwidth* cost includes the cost of migrations,  $C_{B_m}$ , and the use of network bandwidth to service processes,  $C_{B_s}$  (e.g., for conveying the results of edge server computations to the user device). The amount of bandwidth used for migration,  $B_m$ , is then defined as  $\sum_{t \in [T]} \sum_{u \in [U]} B_m^{u, t}$  where:

$$B_m^{u, t} = \epsilon_u \sum_{s_1 \in [S]} \sum_{s_2 \in ([S] \neq s_1)} j_{s_1, s_2}^{u, t} \quad (6)$$

, i.e., the migration size  $\epsilon_u$  multiplied by the rate of migration ( $j_{s_1, s_2}^{u, t}$ ). The cost of bandwidth used for migrations is  $C_{B_m} = \sum_{t \in [T]} \sum_{u \in [U]} C_{B_m}^{u, t}$ , where  $C_{B_m}^{u, t}$  is the sum of each term in  $B_m^{u, t}$  multiplied by the link cost  $Z_{s_1, s_2}$ .

Similarly, the amount of bandwidth used for service  $B_s$  is defined as  $\sum_{t \in [T]} \sum_{u \in [U]} B_s^{u, t}$  where:

$$B_s^{u, t} = W_u \sum_{s_1 \in [S]} \sum_{s_2 \in ([S] \neq s_1)} i_{s_1}^{u, t} q_{s_2}^{u, t}. \quad (7)$$

Here,  $W_u$  is the throughput of the service bandwidth demanded by  $u$  that travels to and from the user ( $i_{s_1}^{u, t}$ ) and VM server ( $q_{s_2}^{u, t}$ ). The resulting cost is  $C_{B_s} = \sum_{t \in [T]} \sum_{u \in [U]} C_{B_s}^{u, t}$ , where  $C_{B_s}^{u, t}$  is the sum of the terms of  $B_s^{u, t}$  multiplied by the link usage cost  $Z_{s_1, s_2}$ . When the bandwidth is owned and allocated by the operator [32], it is possible to omit the costs related to bandwidth.

**User Dissatisfaction Cost.** We measure user dissatisfaction by the *latency* of user's experienced service, i.e., the time of communication between the user and the server hosting its process. We suppose that each user  $u$  specifies a threshold of maximum latency  $Y_x^u$ , with an increasing user dissatisfaction cost at latency above  $Y_x^u$ . For example, this cost may represent a user's future unwillingness to use the edge system or monetary compensation for the system being unable to provide the specified maximum latency. VR and AR applications, for instance, may have such costs when the latency rises above a user perception threshold [2]. The latency violation cost  $C_Y = \sum_{t \in [T]} \sum_{u \in [U]} C_Y^{u, t}$  is defined as:

$$C_Y^{u, t} = \max(0, Y_r^{u, t} - Y_x^u) D_Y^u. \quad (8)$$

The value  $Y_r^{u, t}$  is the actual latency experienced by user  $u$  at time step  $t$ , which depends on the physical distance between the VM server and the server to which a user connects:

$$Y_r^{u, t} = \sum_{s_1 \in [S]} \sum_{s_2 \in ([S] \neq s_1)} L(s_1, s_2) i_{s_1}^{u, t} q_{s_2}^{u, t}. \quad (9)$$

The value of  $L(s_1, s_2)$  represents the latency incurred over a direct link between servers  $s_1$  and  $s_2$ . Since cloud servers induce greater latency than edge ones due to their physical distance from users, we suppose that  $L(s_c, s_2) > L(s, s_2)$  for any servers  $s_2$  and  $s \neq s_c$ , where  $s_c$  indexes the cloud server. In the evaluation in Section VI, the latency incurred is based on the distance of links traversed in the deployed network topology, similar to Figure 3. The constant  $D_Y^u$  represents the monetary value of the usability the user has lost.

**Formulation.** Given the placement, bandwidth, and user dissatisfaction costs, we wish to solve the problem:

$$\begin{aligned} \min_{h \in H} C_{total} &= C_P + C_{B_m} + C_{B_s} + C_Y & (10) \\ \text{s.t. (1), } & \sum_{u \in [U]} (g_{u,s}^t + q_{u,s}^t)(\vec{w}_u) \leq R_s \forall s, B_m + B_s \leq B \end{aligned}$$

where we have imposed server and link capacity constraints.

## V. SOLVING THE OPTIMAL MIGRATION PROBLEM

In this section, we discuss solution algorithms for problem (10). We show that the problem is NP-hard and propose heuristic solution algorithms that have only quadratic complexity. We then analyze our algorithms' ability to handle the challenges of resource constraints and unknown user mobility.

### A. Complexity Analysis

We begin by establishing the complexity of the migration graph that we define in Section III-B.

**Proposition 1** (Number of migration paths). *The number of migration paths for a process grows at least as fast as  $O(S^T)$ .*

*Proof:* For each  $t \in [T]$ , there are  $S$  possible locations for a given process. Since a migration plan must place the process at a server at each time step, the result follows. ■

As we might expect from Proposition 1, the optimization problem of finding the best path for each process is NP-hard:

**Proposition 2** (NP-hardness). *Solving (10) is NP-hard.*

*Proof:* The generalized assignment problem, which is NP-hard [42], is a special case of (10). ■

Despite the exponential growth of the migration graph with respect to the number of time steps, the proof of NP-hardness considers only a single time step. The main difficulty in solving this problem arises from the need to *concurrently determine migration plans for multiple users*.

Choosing the migration plan for a single user in isolation is similar to finding the shortest path through the migration graph, which is solvable in polynomial time [43]. This intuition informs our proposed solution heuristic, Seq-Greedy.

### B. Seq-Greedy Solution Heuristic

Our proposed *Seq-Greedy* method can be run in either a centralized or distributed (Figure 5) MoDEMS deployment. The distributed Seq-Greedy method begins by generating a migration graph for each process at the edge server that is available and initially closest to the user. Once migration graphs are created for all processes in the system, migration plans are generated by optimizing over the migration graph. Unlike the linear integer programming approach, the Seq-Greedy approach generates one migration plan at a time, and thus does not require knowledge of the arrival and departure times of processes in the system. The shortest path is found along the migration graph and is set as the temporary migration plan. The plan is then broadcast to the central controller. If there are enough computation and bandwidth resources to support it, the necessary resources are reserved by the central

controller. Otherwise, the migration graph is edited to remove the nodes and edges with no resources and the sequence is run again. Unlike the static optimization approach, Seq-Greedy is a *dynamic* algorithm that solves for jobs arriving in real time. This method is much more scalable than outright solving the migration optimization problem:

**Proposition 3** (Complexity of Seq-Greedy). *The number of edges and vertices in the migration graph grows as  $O(S^2T^2)$  for large numbers of servers and time steps. The complexity is equal to  $O(D(S^2T^2))$ , where  $D(x)$  denotes the complexity of finding a shortest path in a graph with  $x$  vertices.*

This result implies that generating the migration graph incurs a cost that grows quadratically with the numbers of servers and time steps. Finding a migration plan given the migration graph, on the other hand, is simply equivalent to finding the shortest path for each process in sequence. Dijkstra's algorithm, for instance, runs in  $O(S^4T^4)$  time [43]. We further note that the shortest path algorithms can be implemented *distributedly* across the different vertices. Thus, the edge servers can solve the migration plan with only the resource information from the cloud controller. This property is particularly useful when users cross from one controller domain to another, as it removes the need for complex handoff mechanisms. The distributed method also leverages existing computation resources at the edge to compute migration plans.

Next, we introduce in Algorithm 1 the *batch method* that is designed to handle stochastic and individualized user movement. The algorithm depicts the batch method as implemented in a distributed architecture of MoDEMS, as seen in Figure 5. A single user generates a migration plan by using Seq-Greedy for each short time window and executes the plan. We expect this approach will yield better plans, as the user mobility predictions are improved by conditioning on the user's location at the end of each time window, as seen in line 3.1 of the algorithm. Like Seq-Greedy, the batch method is also a *dynamic* algorithm that further reduces the time horizon for which the migration problem is solved. Although the batch method makes long-term migrations spanning time lengths greater than the windows impossible, it limits the complexity of the Seq-Greedy method by limiting the number of time slots considered within time window.

We finally note that *reducing the number of servers* provides an equivalent reduction in Seq-Greedy's complexity as reducing the number of time steps (Proposition 3). Indeed, if resources are not too constrained, then a server far away from a user is unlikely to be optimal due to high latency costs. Since Seq-Greedy considers each user individually, we can remove servers from migration graphs depending on our predictions of individual users' movements. Specifically, we introduce a new parameter  $\gamma$  such that if the probability that a user lies in server  $s$ 's coverage area at time  $t$  is at least  $\gamma$ , then we include that server in the appropriate place in the user's migration graph, and otherwise we do not. We evaluate this truncation method's impact on the system complexity in terms of  $\gamma$  in Section VI.

Deciding which servers to truncate then lies in determining the probability that the user will lie in each server's coverage area at a given time. To do so, we define  $X_u^t$  as user  $u$ 's

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**Algorithm 1:** Batch method of the Sequential-Greedy algorithm for user  $u \in [U]$  in the system

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- 1 **Input:** For user  $u \in [U]$ , note requested service time steps  $\{T_u\} \in [T]$ , batch size  $b_u$ , placement resource demands  $\vec{w}_u$ , migration size  $\epsilon_u$ , service bandwidth throughput  $W_u$ , latency penalty  $D_Y^u$ , and latency threshold  $Y_x^u$ .
  - 2 **Batch Initialization:** Based on service request time steps  $\{T_u\}$  and batch size  $b_u$ , calculated the number of batches the user will divide their plan into `num_batch`, and set `batch_id`  $\leftarrow 0$ .
  - 3 **For each batch** `batch_id`  $\in$  `[num_batch]`
    - 1) **Mobility Prediction Update:** Based on the current and past locations, update future location prediction  $P[i_{u,s}^t]$  for the time steps in the current batch.
    - 2) **Generate Batch Migration Graph:** Create the migration graph for the time steps within the current batch by populating it with nodes of server-time step pairs. The edge weights (estimated costs) are estimated from known VM deployment costs, migration costs, and location prediction  $P[i_{u,s}^t]$ .
    - 3) **Migration Plan Phase:** Using Dijkstra's algorithm on the migration graph, select a migration plan.
      - a) Check with destination servers if the plan is viable with regard to placement and bandwidth resource constraints.
      - b) If constraints exist, eliminate resource constrained edges and nodes from the migration graph and repeat until a viable migration plan is found.
      - c) When the viable plan is found, reserve the placement and bandwidth resources of servers for the relevant time steps.
    - 4) **Plan Execution:** Execute the migration plan for the current batch.
- 

location after  $t$  time steps, given a stochastic mobility model. Using [44]'s results on two-dimensional random walks, we can find the cumulative distribution function of  $\|X_u^t\|$ , the probable upper bound on the magnitude of travel for user  $u$  at time  $t$ :

$$F_{\|X_u^t\|}(v) = 2^{-\frac{t}{2}} \left( 2^{t/2} \Gamma\left(\frac{t}{2}\right) - 2(\lambda v)^{t/2} K_{\frac{t}{2}}(v\lambda) \right) / \Gamma\left(\frac{t}{2}\right). \quad (11)$$

The function  $K_{\frac{1}{2}}$  refers to the modified Bessel function of the second kind [45], and  $\lambda$  is the parameter of the exponential distribution user movements are drawn from. Next, we observe the resulting change in Seq-Greedy's complexity. Letting the function  $\phi(r)$  denote the expected number of servers whose coverage areas intersect a circle of radius  $r$ , the expected edge

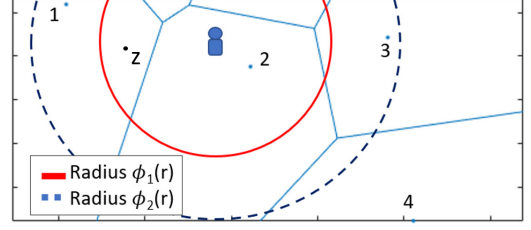


Fig. 7: The truncation method is used to disregard servers when generating the migration graph based on user movement distribution. We include servers that are within the user movement radius ( $\phi_1(r)$ ), and those that are outside but have service areas overlap with the user movement area ( $\phi_2(r)$ ).

count in a user's migration graph after truncation is:

$$\mathbb{E}[N] = \sum_{i=1}^{T-1} \phi\left(F_{X_u^i}^{-1}(\gamma)\right) + \left( \phi\left(F_{X_u^{i+1}}^{-1}(\gamma)\right) + \sum_{t=i}^T \left( \phi\left(F_{X_u^t}^{-1}(\gamma)\right) - 1 \right) \right) \quad (12)$$

We finally examine the expected number of servers  $\phi(r)$  included in the migration graph, which will allow us to estimate the reduction in complexity.

As seen in Figure 7, if a server's coverage area intersects a circle of radius  $r$ , then it must include at least one point on the circumference of this circle. We can then define the probability distribution of the expected distance from each point  $z$  to its closest server,  $F_l = \min_{s=1,2,\dots,S} \{\|l_s - z\|_2\}$  where  $l_s$  denotes the location of server  $s$  and is uniformly distributed over the region. The point  $z$  represents one point of possible points of intersection between a server's coverage area and the probabilistic radius of user travel  $\phi_1(r)$ , as seen with the intersection of the server 1 service area with  $\phi_1(r)$  in Figure 7. Then with probability  $F_l(\rho)$ , all servers included in our truncation lie within a larger circle of radius  $\rho + F_{X_u^t}^{-1}(\gamma)$  around the user's location, i.e.,  $\mathbb{E}\left[\phi\left(F_{X_u^t}^{-1}(\gamma)\right)\right] \leq \pi \left(F_{X_u^t}^{-1}(\gamma) + \rho\right)^2 \frac{S}{A}$  with probability  $F_d(\rho)$ , if the servers are uniformly distributed throughout the service region. Here,  $A$  represents the total physical area of consideration. In Section VI, we show that taking  $\gamma = 0.9$  leads to a 25% reduction in the number of edges generated in the user migration graphs, significantly reducing Seq-Greedy's complexity with little increase in cost.

### C. Optimality of Our Seq-Greedy Heuristic

We assess the optimality of our heuristic, focusing mainly on how the presence of resource constraints and unknown user mobility change the optimal migration plans and make finding the optimal plans more difficult.

**Effect of resource constraints.** We first consider an alternative method for solving (10): relaxing the integer linear program and rounding the solution to an integer solution:

**Proposition 4** (Optimality of the relaxed problem). *Suppose all bandwidth costs equal zero ( $C_{B_s} + C_{B_m} = 0$ ), and network resource constraints do not exist. Then if all processes have the*

same size  $\vec{w}_u = \vec{w}$  at every time step and the server capacities  $R_s$  are integer multiples of  $\vec{w}$ , the optimal solution of (10) is the same as the optimal solution to the relaxed version of (10) where we let  $h_{s_1, s_2}^{u, t_1, t_2} \in [0, 1]$ .

*Proof:* We show that the solution to the relaxed problem is integral, and thus solves the original problem (10). The key step is to recognize that the cost of any fractional solution can be reduced by shifting processes between servers. ■

The assumption that all processes have the same size may hold if we consider a specific application from multiple users, e.g., small VMs that store machine learning models occasionally called by the application. In general, however, we may consider heterogeneous applications, as in Section VI’s evaluation. Thus, we next analyze Seq-Greedy. Proposition 1 suggests that the edge servers’ capacity constraints significantly contribute to the complexity of solving the optimization problem. We verify that intuition by showing that Seq-Greedy is optimal with no resource constraints:

**Proposition 5** (Seq-Greedy optimality with sufficient resources). *Given enough resources to serve all users simultaneously, i.e.,  $\sum_{u=1}^U 2\vec{w}_u \leq R_s; \forall s, \sum_{u=1}^U B_s^{u,t} + B_m^{u,t} \leq B; \forall t$ , Seq-Greedy converges to the optimal solution of (10).*

*Proof:* The assumption of sufficient resources allows us to ignore the resource constraints; thus, (10) reduces to finding the minimum cost migration path for each process. Since the objective is additively separable across users, it decomposes into minimizing each user’s cost, independent of the other users. This is exactly our heuristic. ■

When resource constraints are effective, we do not expect Seq-Greedy to generally find the optimal solution. However, we can show that it out-performs a baseline algorithm that does not take mobility into account:

**Proposition 6** (Comparison with a naïve baseline). *Suppose  $S = 2$  and that  $\vec{c}_1 = \vec{c}_2$ . Then if Seq-Greedy finds migration paths for users in descending order of  $W_u$ , the resulting total cost is no greater than that incurred without migrations.*

*Proof:* It suffices to consider only those users whose server assignment deviates from the optimal migration path without constraints. The result follows on observing that the cost incurred in the timeslots with such a deviation is no larger than that incurred when all users remain stationary. ■

Thus, at least when there are few servers present, Seq-Greedy out-performs a naïve static baseline, for any number of users. The assumption that  $S = 2$  is reasonable if users have limited mobility, e.g., among students who stay on a college campus; or if edge servers serve large areas, e.g., mini-datacenters serving city neighborhoods. We numerically show that this result still holds for  $S > 2$  servers in Section VI.

**Effect of movement uncertainty.** We now consider our algorithm performance in the context of our second challenge, uncertain user mobility. While we might expect that a stochastic formulation would help the migration plan better track user movement, in some cases uncertainty can actually hurt:

**Proposition 7** (Migrations with uncertain mobility). *If user movements are Markovian, then for  $T$  sufficiently large there*

*exists a time  $t_u < T$  for each user  $u$  such that for  $t \geq t_u$ , the optimal migration plan does not migrate  $u$ ’s VM.*

*Proof:* The result follows from the convergence of the distribution of user locations to a steady state. ■

In essence, under a stochastic mobility model users’ movement is eventually so uncertain that there is no value to migrating. Thus, even when Proposition 6’s conditions hold and the optimal migration plan should outperform the stationary solution with known mobility, when mobility uncertainty is introduced into the model the stationary solution becomes optimal. Our batch method avoids this result by *re-optimizing* the migration every few time slots, and we show in Section VI that it indeed outperforms Seq-Greedy given stochastic mobility.

## VI. EVALUATION

In this section, we numerically evaluate MoDEMS, validating, and going beyond Section V’s results. Specifically, we aim to show that we have solved the primary research challenges introduced in Section I: designing a *feasible* migration algorithm that (i) scales to realistic edge computing systems, (ii) respects the lack of resources at edge servers and links, and (iii) optimizes over uncertain user movement. After describing our experimental setup, we examine the achieved scalability and cost of Seq-Greedy and our proposed variants compared to baseline algorithms, under different resource constraints and mobility patterns. We finally evaluate the improvement in edge user experience with Seq-Greedy in a realistic network environment simulated by ns-3 [46] and a LTE testbed.

### A. Numerical Analysis Setup

We use synthetic server locations spread out uniformly at random within an area of 5 miles by 5 miles. We consider a multi-tier system containing edge servers with limited resources, aggregation servers with more resources, and a cloud server with high resources and latency. All edge servers are connected to the closest aggregation server, and all aggregation servers are connected to the cloud server, as seen in Figure 3. Servers higher up the hierarchy are often more resource-rich but incur higher latencies [47]. Initial locations of users are drawn from a uniform distribution and Markovian user movements are estimated from the Yonsei/Lifemap mobility dataset [18]. The size of the simulation space is set based on the area of downtown Seoul, South Korea (where the traces are from), an urban area typical of edge computing deployments [48]. Time steps are five minutes long unless otherwise stated.

We predict user mobility with a Markov model that is constructed empirically from past realized movement patterns, as recorded in the Yonsei/Lifemap mobility data. Table II shows the accuracy of the user location prediction by the Markovian model used for simulations. As we would intuitively expect, predictions further into the future have lower accuracy. Higher densities of servers make the prediction of the user location more difficult as the user can move towards more servers.

To evaluate the effects of resource limitations, the simulations are run with either *limited* or *ample* resources. Many



| Time step  | 1    | 5    | 10   | 20   |
|------------|------|------|------|------|
| 5 Servers  | 0.87 | 0.62 | 0.49 | 0.26 |
| 10 Servers | 0.80 | 0.49 | 0.39 | 0.14 |
| 20 Servers | 0.71 | 0.40 | 0.25 | 0.13 |

TABLE II: Average probability of the mobility model accurately predicting closest server to user after a set amount of time steps (20 users, 20 trials).

edge computing systems will have limited resources available at individual edge servers, as seen in [33], [34], as endpoint edge devices are often of limited hardware (i.e., smart cameras and ruggedized laptops) [49]. In the limited resource setting, resource capacities are drawn from uniform distributions such that edge servers on average can service 2.5 to 4 processes simultaneously based on the total number of users in the system and each link can migrate six processes in a single time step. Resource constraints do not affect migration decisions with ample resources. Servers provide three resources: CPU cores, RAM, and storage, with prices per five-minute time step of \$0.02 per CPU core, \$0.01 per GB of RAM, and \$0.02 per GB of storage, following current cloud prices [50]. Process sizes are chosen to simulate VR, AR, and personal assistant applications as measured in [51], [52]. To conserve space, we do not separately examine the effects of limited edge server and link capacity resources. Processes that cannot be served on edge servers due to a lack of resources are instead serviced at the cloud, which have the resource cost set at a quarter of those at the edge nodes, as well as a fixed latency value of 200 ms [7], [53]. Each user has an expected latency requirement of at most 40 ms, and the experienced latency is measured by the distance between the user and server. The mapping between distance and incurred latency is scaled approximately to reflect the results found in [54], where servers close by ( $\sim 0.2$  miles) incur approximately  $5 \sim 10$  ms of latency, while servers further away (beyond 5 miles) incur approximately 50 ms of latency. A latency penalty of \$0.05 is applied for every 10 ms of latency above the threshold such that the latency penalty is comparable to the placement and bandwidth costs.

We compare our proposed *Seq-Greedy* approach and its batch and truncation extensions to the *optimization* approach and three baselines. The *naïve* approach minimizes the cost with no migrations while choosing the closest server available, as in SDN/NFV placement optimization [38], [39]. The *myopic* approach migrates processes to the closest feasible server at every time step, as in reactive migration frameworks [22]; this comparison shows the value of predicting individual user mobility. The *cloud* approach generates migrations that minimize user costs without considering resource constraints, as in [29]. The cloud then serves processes violating resource constraints, showing the value of accounting for these constraints in the optimization itself.

Unless otherwise stated, we show the average and standard deviation of results over 5 to 10 trials.

### B. Comparing the Different Migration Plan Methods

We first compare Seq-Greedy and the batch method to the optimal migration solution and our three baselines, under

our two resource scenarios. We then show how an operator might choose the batch length and truncation parameters before evaluating the effect of different user mobility patterns, cost parameters, and user densities on Seq-Greedy’s cost and recommended migrations.

|                          |     | Servers |      |      |       |       |
|--------------------------|-----|---------|------|------|-------|-------|
|                          |     | 5       | 10   | 15   | 20    |       |
| Probability ( $\gamma$ ) | 1.0 | TS 5    | 172  | 576  | 1305  | 2347  |
|                          |     | TS 20   | 2071 | 9166 | 16736 | 27624 |
|                          | 0.9 | TS 5    | 109  | 361  | 687   | 1198  |
|                          |     | TS 20   | 1628 | 5434 | 11420 | 19098 |
|                          | 0.7 | TS 5    | 87   | 224  | 509   | 696   |
|                          |     | TS 20   | 1554 | 4834 | 11202 | 15835 |

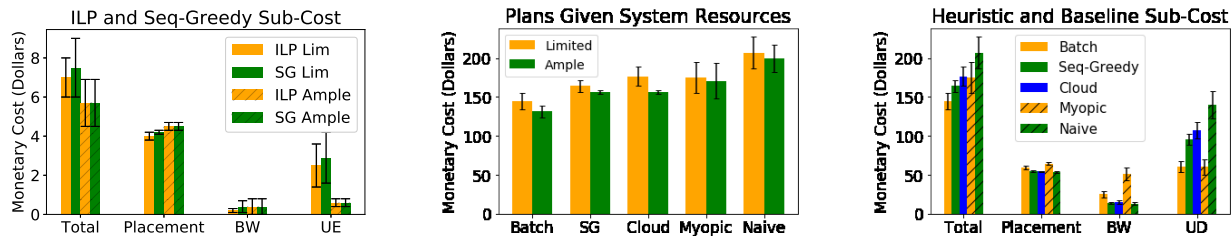
TABLE III: Average edge counts per user given 30 users for Seq-Greedy migration graph as a function of radius truncation probability levels and the numbers of time steps and servers.

|     |     | t = 2  |        | t = 3  |        | t = 4  |        |
|-----|-----|--------|--------|--------|--------|--------|--------|
|     |     | ILP    | SG     | ILP    | SG     | ILP    | SG     |
| s=2 | u=2 | 2.3e-2 | 2.9e-3 | 2.7e-2 | 3.5e-3 | 3.2e-2 | 4.2e-3 |
|     | u=4 | 3.4e-2 | 5.3e-3 | 4.1e-2 | 6.3e-3 | 5.7e-2 | 8.4e-3 |
| s=3 | u=2 | 4.2e-2 | 4.6e-3 | 6.5e-2 | 6.7e-3 | 1.0e-1 | 8.6e-3 |
|     | u=4 | 7.6e-2 | 9.0e-3 | 1.2e-1 | 1.2e-2 | 2.0e-1 | 1.6e-2 |

TABLE IV: Average run time (seconds) for the optimization (ILP) method and Sequential-Greedy (SG) heuristic across user count, server count, and time steps.

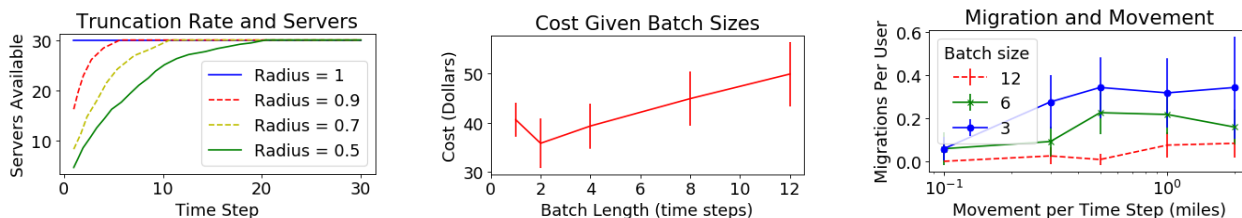
**Comparison to optimal approach.** We compare the cost achieved by the optimization and Seq-Greedy approaches under limited and ample resources in Figure 8a. Given limited system resources available at the edge servers, the optimization has a slightly lower cost by 10%, since the Seq-Greedy method places processes sequentially. The placement, bandwidth, and latency sub-costs are all slightly higher with our Seq-Greedy method, indicating that greedy placement can affect all three types of costs. Under ample resources, their performance is equivalent (Proposition 5). As we would expect from Section V-A’s complexity analysis (Propositions 1–3), the number of edges in the migration graph grows approximately quadratically with respect to the number of servers and time steps (Table III), leading to a runtime for Seq-Greedy that is two order of magnitude shorter than the optimization approach (Table IV).

**Comparison to heuristic baselines.** As seen in Figure 8b, all plan generation methods induce lower cost with ample compared to limited resources, as low latency placements are possible for every process. Seq-Greedy and the batch method significantly outperform the naïve and myopic baseline algorithms due to less frequent misplaced VM migrations compared to user location. Most notably, the batch method saves 33% in cost compared to the naïve method and 18% compared to the myopic method under limited resources. Under limited resources, the Seq-Greedy method outperforms the cloud method due to lower latencies as processes are not necessarily placed on the cloud given resource constraints, while their performances are equivalent given ample resources as no processes are sent to the cloud. Figure 8c shows the sub-costs for the Seq-Greedy and batch heuristics without truncation, as well as the three baseline algorithms. The



(a) Sub-cost comparison between optimization (ILP) and Seq-Greedy approach (6 users, 5 servers, 5 time steps). (b) Cost incurred by different plan methods for limited and ample resources (40 users, 10 servers, 12 time steps). (c) Sub-cost of the heuristic and baseline methods presented (40 users, 10 servers, 12 time steps, limited resources).

Fig. 8: Our proposed Seq-Greedy and batch methods out-perform the cloud, myopic and naïve baselines, though they are not optimal. BW represents bandwidth cost, while UD represents user dissatisfaction (latency) costs.



(a) Number of servers available at each time step for migration during truncation of Seq-Greedy method (30 total servers). (b) The cost generally decreases with batch size (7 servers, 10 users, 12 time steps, and limited resources). (c) Migrations occur more with faster travel and smaller batches (20 users, 8 servers, 12 time steps, ample resources).

Fig. 9: Effect of system settings such as batch length, truncation rates, and user speed in plan generation.

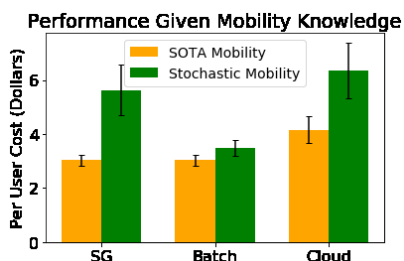


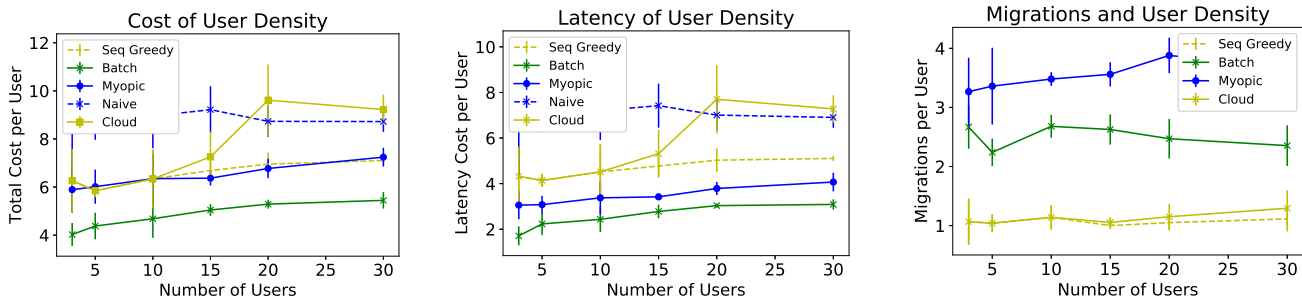
Fig. 10: Comparison of proposed heuristic approaches against state-of-the-art mobility prediction plans (10 servers, 20 users, 12 time steps, limited resources, batch length = 2).

heuristic approaches outperform the baselines largely due to closer process placements and less user dissatisfaction. The naïve approach does not perform migrations and suffers as users move away from their original position, verifying that Proposition 6 holds for more general scenarios. The myopic method has a lower latency cost incurred than both the Seq-Greedy and the cloud method (39% and 48%, respectively) due to frequent migrations, but incurs higher placement (18% and 16%, respectively) and bandwidth usage cost (approximately 380% for both SG and cloud methods) in the process. The batch approach outperforms the Seq-Greedy and the cloud method by 10% and 15%, respectively, due to its superior predictions of user mobility by updating its conditioning on the Markov chain model of user mobility.

**Effect of truncation and batch length parameters.** We next examine the truncation technique. Figure 9a shows that

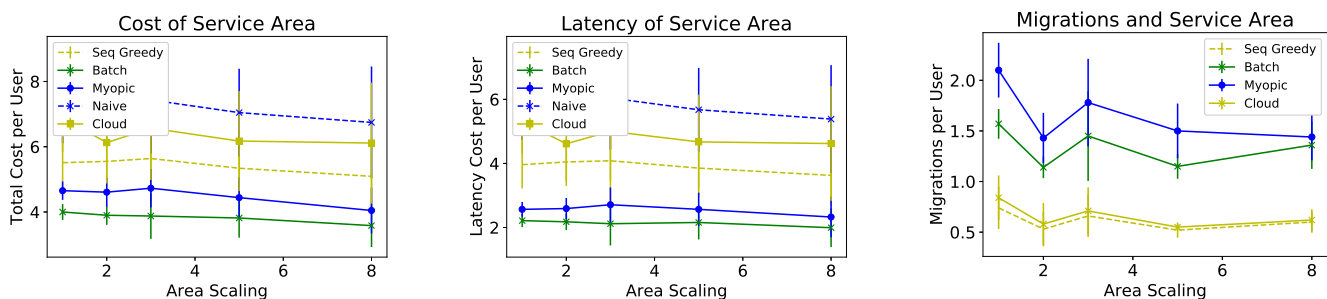
as the truncation probability increases, more servers are included for the migration graph. As we would expect, the number of servers included increases over time for each fixed truncation probability, as users move further distances from their current locations. Even a high truncation probability of 0.9, however, reduces the optimization complexity by 25% (Table III), indicating that truncation is an effective way to decrease complexity without significantly increasing cost.

The choice of batch length also affects the cost and complexity. As we increase the number of batches from 1 (Seq-Greedy) to higher values, the migrations per user increases, as seen in Figure 9c, as there is more certainty in user locations. Figure 9b similarly shows that the cost falls as the number of batches increases (which also reduces the algorithm complexity, as in Table III). When there are more batches present in the system due to shorter batch lengths, more frequent updates to user movement predictions allow for better and more frequent migrations. However, because shorter batch lengths prevent longer migrations that cross batch windows, the cost increases again when the batch length becomes too small, indicating that it should be carefully chosen to balance the cost effects, given the uncertainty present in user mobility patterns. Shorter batch lengths also mean that our algorithm cannot plan its migrations as far in advance (i.e., it cannot plan placements according to users' anticipated locations further into the future), which could also increase the incurred costs for shorter batch lengths. Our empirical results, however, show that a relatively short batch length of 2 yields a sufficiently far-off prediction to ensure low overall costs, recording a 28% reduction in cost compared to a single batch of length 12.



(a) Total cost incurred per user given more users in the system, compared across different plans. (b) Latency cost incurred per user increases given more users in the system, compared across different plans. (c) More migrations occur as the number of users increase in the system.

Fig. 11: Increasing the number of users given fixed resource constraints increases overall cost per user due to VM placements further away from users and more utilization of the cloud. Tests are run with 10 servers across 10 time steps.



(a) Total cost incurred given increased service area by same number of servers. (b) Latency cost incurred given increased service area by same number of servers. (c) Migration rate given increased service area by same number of servers.

Fig. 12: Increasing the area of service given a fixed number of users and servers has limited impact on overall costs and latencies experienced by users. Tests are run with 20 users, 10 servers, across 10 time steps, and the smallest area size ( $\times 1$  scaling) is 5 by 5 miles.

**Effect of user mobility.** To observe the impact of user movement on migration plan generation, Figure 9c shows the number of migrations a typical user undergoes for the lifetime of the requested service against the average speed per time step of users drawn from an exponential distribution. Users with higher average speeds incur more migrations, since the closest server to the user changes more frequently. Thus, MoDEMS adapts to different mobility characteristics in different areas.

We separately analyze the impact of the accuracy of user mobility prediction in Figure 10. For the Seq-Greedy, batch, and cloud methods, we compare the performance of (i) an idealized state-of-the-art (SOTA) mobility tracker that successfully predicts all future user movement to (ii) a more realistic stochastic mobility tracker that has probabilistic predictions of future user location. For both Seq-Greedy and the cloud method, due to lower accuracy of mobility predictions for users further in the time window, the realistic mobility methods have lower performance compared to the SOTA mobility prediction methods by 82% and 52%, respectively. For the batch method, the performance of the realistic mobility prediction is only 14% worse off than that of the SOTA mobility prediction method. Thus, the proposed batch method effectively leverages known probabilistic mobility predictions by updating mobility predictions for each batch, and achieves close performance to

the SOTA mobility prediction method.

**Effect of user density.** Different plan generation schemes are compared given a different number of users present in the system. Intuitively, the presence of more users would make resources relatively more scarce, leading to higher costs. As seen in figure 11a and figure 11b, the total cost and latency cost increase per user as more users are introduced in the system. The latency costs increase as the closest servers will not be available for use for some users due to high demand. The batch, myopic, and Seq-Greedy methods exhibit similar increases in cost as the number of users increase (19%, 15%, and 37%, respectively), though the batch method performs relatively better for larger numbers of users, due to a better ability to plan for future user mobility, as well as higher accuracy in mobility prediction. The cloud method exhibits similar patterns to Seq-Greedy for a low number of users, but incurs a spike in both overall cost and latency cost with more users as users are increasingly served at the cloud with high latency. The naïve approach overall has unchanged values in cost and latency as the number of users increase. Although the initial placement of VMs in the naïve approach may be sub-optimal as the number of users increases, as users move away from their initial locations, the incurred costs become similar. The naïve approach optimizes for all users at the outset, so the

impact of having an increased number of users is minimized as well.

The migration rate per user given an increased number of users in the system is examined in Figure 11c. The number of migrations per user remains generally unchanged for the Seq-Greedy, batch, and cloud methods. For Seq-Greedy and the cloud method, as examined by Proposition 7, the number of migrations is limited as knowledge regarding user location is less certain for time steps further into the future. The batch method displays a higher number of migrations in comparison, but the migration rate remains consistent with respect to the number of users in the system. However, for the myopic method, the migration rate increases with the number of users as the myopic method cannot plan for user movement or resource constraints and thus may be forced to shift the user's process to new servers more frequently as the competing users move and new resources become available.

**Effect of deployment area.** Different plan generation schemes are compared for an increasing service area given a fixed number of users and servers in the system. All tests are run with 20 users, 10 servers, and 10 time steps, with the smallest area size ( $\times 1$  scaling) of 5 by 5 miles. As seen in figure 12a and figure 12b, the total cost and latency cost remain mostly consistent with respect to different area sizes of service. The results indicate that the proposed Seq-Greedy and batch methods perform well under different densities of server and resource availability. The migration rate per user slightly decreases as the area of service increases, as users will less often move into an area closest to another server due to the increased distances between servers. We note that the latency cost is measured with respect to the latency incurred between the server hosting a user VM and the server closest to the user, as presented by equation (9). The last mile latency is not included in the analysis as such latency cannot be avoided regardless of VM migration policy.

**Effect of weighting sub-costs.** It is possible to alter the formulation presented in equation 10 by scaling sub-costs separately. For example, the placement cost  $C_P$  and the latency cost  $C_Y$  can be scaled by weights  $\alpha_P$  and  $\alpha_Y$  respectively, and the objective can be rewritten as:

$$\min_{h \in H} C_{total} = \alpha_P C_P + \alpha_{B_m} C_{B_m} + \alpha_{B_s} C_{B_s} + \alpha_Y C_Y \quad (13)$$

Figure 13 shows experiments where the placement cost weight is increased to  $\alpha_P = 3$  while all other cost weights are fixed at  $\alpha = 1$ , as well as when the latency cost weight is increased to  $\alpha_Y = 3$  while all other cost weights are fixed at  $\alpha = 1$ . The legend indicates which cost weight is emphasized (placement and latency respectively), while the normal setting has all cost weights set to  $\alpha = 1$ . The naïve and myopic methods are omitted from analysis as they do not consider weighted costs when creating migration plans. The normal setting achieves the lowest aggregate cost across all plan generation methods. However, across all plan generation methods, the placement sub-cost is lowest when the placement sub-cost is heavily weighted ( $\alpha_P$  is increased). The latency sub-cost is highest when the placement sub-cost is heavily weighted ( $\alpha_P$  is increased), but is lowest when no cost is

emphasized under the normal setting ( $\alpha = 1$ ). The normal setting may have lower latency than when  $\alpha_Y = 3$ , as when the latency weight is increased, the plan generation methods behave more similarly to the myopic method that greedily performs migrations that may prevent beneficial migrations in the future due to resource constraints.

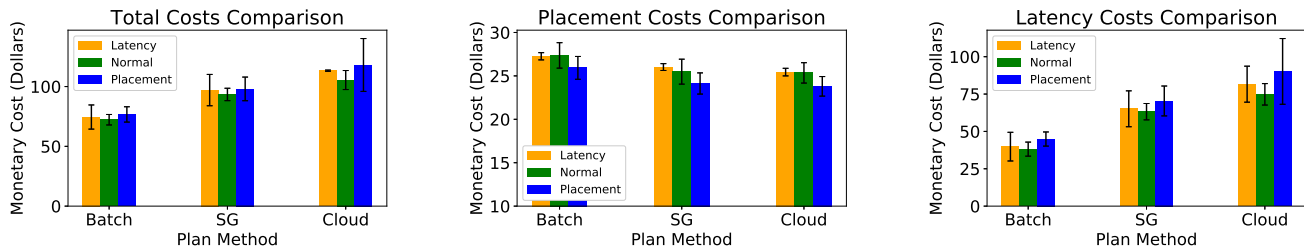
### C. Network Simulator Experiments

We validate MoDEMS' results by running our migration plans in a ns-3 simulator that mimics realistic network delays. Each user individually creates migration plans utilizing the distributed controller as shown in Figure 5. We simulate 10 edge servers, each connected to a base station (e.g., eNB) through a point-to-point connection, as seen in the example set up in figure 14a. When a user sends a packet, it is received by the virtual device and then forwarded by IP forwarding to the edge server connected to the eNB, and then on to another edge server if needed. All eNBs use the LTE socket with Proportional Fair scheduling [55] to forward packets to users. The users' transmission mode is set to MIMO Spatial Multiplexity (2 layers). There are 20 users over 10 discrete time steps of 200s. We compare the performance of the batch (with batches of 2 time steps each), myopic, and naïve methods when transferring 1MB of data, which could represent computation results from the edge, from the VM to the UE per time step. Low throughput levels between eNBs simulate heavy traffic.

Figure 14b shows the resulting cumulative distribution of the average request completion times of all 20 users for each plan generation scheme, after removing outliers. As is consistent with Figure 8c, the average transmission times are the shortest for the batch method (31% less than the naïve method), followed by the myopic, Seq-Greedy, and naïve methods. The run time of different plan generation methods per user is shown in Figure 14c. The naïve method on average takes 0.10s per user, as only a single placement is made. The myopic method on average takes 1.74s per user across all time steps, as at each time step the closest server must be determined. The Seq-Greedy method takes on average a longer 2.18s as traversing the migration graph and navigating through resource constraints consumes more time. The batch method takes on average 2.56s across all time steps to generate a plan as multiple migration graph batches must be worked with. However, the batch method only takes on average 0.51s per batch (batch length is set at 2). Compared to the discrete time step sizes of 200s, the migration plan generation time is minimal. The increased plan generation time of the batch method leads to much better performance in terms of transmission time.

### D. LTE Testbed Experiments

The importance of preemptive migrations is demonstrated with LTE testbed experiments (Figure 15). The testbed has two eNodeBs (eNBs), UEs (user equipment) in a shield box, a signal attenuator, and edge servers. The Evolved Packet Core (EPC, not shown for simplicity) manages the network, including connecting to the Internet. We use two commercial indoor

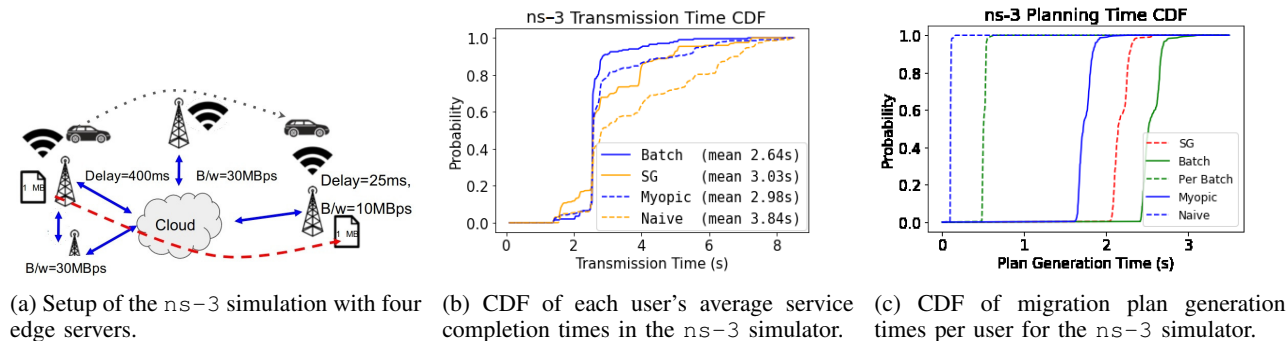


(a) Total cost incurred by different plan methods of weighting on placement and latency sub-costs.

(b) Placement cost incurred by different plan methods of weighting on placement and latency sub-costs.

(c) Latency cost incurred by different plan methods of weighting on placement and latency sub-costs.

Fig. 13: Increasing the weight on a specific cost type (“latency” or “placement”) reduces the incurred relevant sub-cost compared to the “normal” cost setting. Tests are run with 20 users, 10 servers, across 10 time steps.



(a) Setup of the ns-3 simulation with four edge servers.

(b) CDF of each user's average service completion times in the ns-3 simulator.

(c) CDF of migration plan generation times per user for the ns-3 simulator.

Fig. 14: Setup and cumulative distribution functions (CDFs) of measurement results for ns-3 experiments.

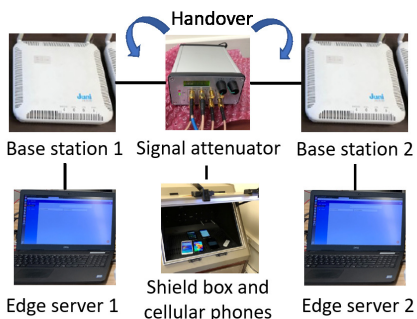


Fig. 15: Setup of the LTE base station experiments with handover.

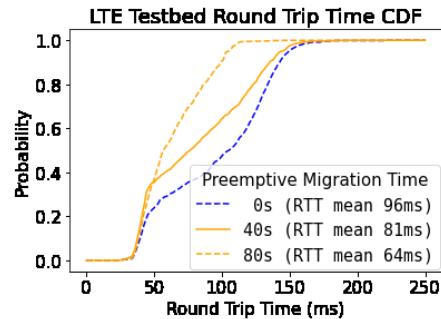


Fig. 16: CDF of user-VM round trip times for different preemptive migration times.

LTE small cell products, Juniper JL620 [56], each connected to an edge server. UEs inside the shield box communicate via antennas connecting the eNBs and shield box. To emulate various RF situations, including handover between two eNBs, we install a signal attenuator between the eNBs and feed its output to the shield box. By changing the input power of each eNB, we can emulate a handover where a UE connects to an adjacent eNB of more robust signals. The wired latency between the two eNBs is set at 40ms, while wireless latency between an eNB and UE is approximately 60ms.

We monitor round trip times (RTT) between the UE and servicing VM over 120 seconds. The VM migration from edge server 1 to server 2 always starts at time  $t = 0s$ , and completes around  $t = 80s$  subject to network conditions. The UE moves

from base station 1 to base station 2 at  $t = \{0s, 40s, 80s\}$ . User movement at  $t = 0s$  represents a reactive migration scheme, such as the myopic baseline, as the VM migration only begins after the user has moved. The  $t = \{40s, 80s\}$  cases represent preemptive migrations, such as the batch method.

Figure 16 shows the resulting cumulative distribution of the round trip times between the UE and the servicing VM given different migration times. Consistent with the user dissatisfaction cost in Figure 8c and the service completion times of Figure 14b, migration schemes that have preemptive migrations (e.g. batch method) incur overall lower round trip times than migration schemes with reactive migrations (e.g. myopic method) by approximately 33%.



## VII. CONCLUSION

While the use of cloud computing has grown in recent years, the distance between the cloud and the user presents issues of long latencies and limited bandwidth. Edge and fog computing mitigate those issues but require the strategic placement and migration of processes due to user movement. In this paper, we introduce MoDEMS, the first system to optimize edge computing deployments according to user mobility with a *theoretical framework* that jointly addresses practical deployment challenges, and *experimental validation* on real mobility traces and an LTE testbed. We formulate a linear integer programming problem and the Seq-Greedy heuristic used to generate migration plans that minimize system cost and user latency. Seq-Greedy saves orders of magnitude in terms of overhead compared to the optimization approach. Compared to a naïve approach that does not migrate processes, a myopic migration approach that does not attempt to predict user movement, or a cloud-based approach that does not account for resource constraints, we can save significant system cost and improve user experience. Moving forward, we can examine how migration plans can be generated for processes that serve many users at once on multiple edge nodes.

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